Package ‘TSGSIS’

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Title Two Stage-Grouped Sure Independence Screening

Description
To provide a high dimensional grouped variable selection approach for detection of whole-genome SNP effects and SNP-SNP interactions, as described in Fang et al. (2017, under review).

Version 0.1

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R topics documented:

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TSGSIS Two Stage-Grouped Sure Independence Screening

Description
The package is a beta version that provides a high-dimensional grouped variable selection approach for detection of whole-genome SNP effects and SNP-SNP interactions, as described in Fang et al. (2017, under review). The proposed TSGSIS is developed to study interactions that may not have marginal effects.
Usage

TSGSIS(XA, Y, Gene_list, ntest, lambda, Method)

Arguments

XA
The $N \times P$ matrix of XA. There are $N$ individuals and $P$ variables in matrix, with one individual in each row and one genotype in each column.

Y
The $N \times 1$ matrix of Y. It can be real number or binary outcome.

Gene_list
The $a \times d$ matrix of the Gene_list. $a$ is the maximal number of gene size in the Gene_list which other values are denoted by 0. $d$ is the number of genes.

ntest
The ntest ($< N$) is the number of testing data for evaluation of MSE.

lambda
The lambda is the parameter of Lasso regression.

Method
"Reg" for quantitative trait modeling, "LR" for disease trait modeling.

Value

Returns a result of screening

result
First element of the result is the MSE of testing data, the rest elements are the important SNP effects and SNP-SNP interactions after TSGSIS modeling.

Note

The missing value (NA) in the XA and Y is not allowed in this beta version.

References


Examples

#We investigate the performance of TS-GSIS under model 1 with intra-gene correlation rho = 0.2, trait dispersion sigma^2 = 1, effect size k = 3 and homogeneous MAF.
#Given 100 SNPs with gene size d = 10, 500 unrelated individuals are simulated.
#(Please refer to the Figure 3 of the reference)

library(glmnet)
library(MASS)

set.seed(1)# Set seed
#Parameter setting
ntotal = 500
p = 100
n.pred = 10 #Gene sizes
rho = 0.2 #Intra-gene correlation in block
k = 3 #Effect size
vari = 1 #Sigma2
lambda = 0.5  # For lasso parameter
ntest = 150  # For evaluation
Method = "Reg"  # For quantitative trait
# Heterogeneous MAF: randomly set to 0.35, 0.2 or 0.1 with equal likelihood.
MAF = matrix(c(0.225, 0.0, 0.15), nrow=1)
MAF[,1] = c(0.225, 0.5775)
MAF[,2] = c(0.04, 0.36)
MAF[,3] = c(0.01, 0.19)
# Trait Y
modelY = "k*XA[,1] + k*(sqrt(rho))\times XA[,5] + k*XA[,3]\times XA[,5] + rnorm(ntotal, 0, vari)"

pas1 = function(z){
g = paste("A", z, sep ="")
return(g)
}

norm = function(a) (a-mean(a))/sd(a)  # Define standardization fun.

# The codes of simulated data for quantitative trait are listed in the following. We use mvrnorm
# function to simulate the genotype data. Y is continuous with normal distribution, all errors are
# assumed to be normally distributed with a mean of zero and a variance of one (vari = 1).
out = array(0, dim=c(n.total, n.pred))  # For LOOCV
corrmat = diag(rep(1-rho, n.pred)) + matrix(rho, n.pred, n.pred)  # Create covariance matrix with rho
corrmat[,5] = sqrt(rho)
corrmat[5,] = sqrt(rho)
corrmat[5,5] = 1
L = array(0, dim=c(n.total, n.pred, (p/n.pred)))
L[,1] = corrmat
for(i in 1:p){
L[,i] = diag(rep(1-rho, n.pred)) + matrix(rho, n.pred, n.pred)
}
temp = "bdiag(L[,1]"
for (i in 1:(p/n.pred)){
temp = paste(temp,"\", ",", 
L[,,i], sep="", "\"
}
temp = paste(temp,"\", sep="")
corrmat2 = eval(parse(text=temp))

beta0 = matrix(0, n piè, 1)  # Simulate genotype
X = matrix(0, n.total, p)
X = mvrnorm(n.total, beta0, corrmat2, tol=1e-8, empirical=FALSE)
XA = data.frame(X); colnames(XA) <- c(sapply(1:p, pas1))
C1 = matrix(0, 1, p)
C2 = matrix(0, 1, p)
tempMAF = sample(3, 1)
for (i in 1:p){
C2[i,1] = quantile(X[1,i], MAF[1,tempMAF])
C1[i,1] = quantile(X[1,i], MAF[2,tempMAF])
XA[i,1] > C1[i,1] = 1
XA[i,1] <= C1[i,1] & X[1,i] > C2[i,1,1] = 0
XA[i,1] < C2[i,1,1] = -1
}
XA = apply(XA, 2, norm)  # Standardization
Y = eval(parse(text=modelY))  # Simulate gaussian response
temp = 1:p
gene_list = matrix(temp,nrow=n.pred) # Create Gene-based SNP set
# Run TSGSIS fun. with XA, Y, gene_list, ntest (for predicted model), lambda of lasso regression,
# Method types: "Reg" for quantitative trait; "LR" for disease trait.
Screen_result = TSGSIS(XA, Y, gene_list, ntest, lambda, Method)
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