

# Package ‘revss’

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**Type** Package

**Title** Robust Estimation in Very Small Samples

**Version** 1.0.4

**Date** 2022-04-03

**Description** Implements the estimation techniques described in Rousseeuw & Verboven (2002) <[doi:10.1016/S0167-9473\(02\)00078-6](https://doi.org/10.1016/S0167-9473(02)00078-6)> for the location and scale of very small samples.

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**URL** <https://github.com/aadler/revss>

**BugReports** <https://github.com/aadler/revss/issues>

**Encoding** UTF-8

**Suggests** covr, tinytest

**Imports** stats

**NeedsCompilation** no

**Author** Avraham Adler [aut, cph, cre] (<<https://orcid.org/0000-0002-3039-0703>>)

**Maintainer** Avraham Adler <Avraham.Adler@gmail.com>

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## R topics documented:

revss-package . . . . .	2
adm . . . . .	3
robLoc . . . . .	4
robScale . . . . .	5

<b>Index</b>	<b>8</b>
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 revss-package

*Robust Estimation in Very Small Samples*


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**Description**

Implements the estimation techniques described in Rousseeuw & Verboven (2002) <doi:10.1016/S0167-9473(02)00078-6> for the location and scale of very small samples.

**Details**

The DESCRIPTION file:

```

Package:      revss
Type:         Package
Title:        Robust Estimation in Very Small Samples
Version:      1.0.4
Date:         2022-04-03
Authors@R:    c(person(given = "Avraham", family = "Adler", role = c("aut", "cph", "cre"), email = "Avraham.Adler@
Description:  Implements the estimation techniques described in Rousseeuw & Verboven (2002) <doi:10.1016/S0167
License:      BSD_2_clause + file LICENSE
URL:          https://github.com/aadler/revss
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Author:       Avraham Adler [aut, cph, cre] (<https://orcid.org/0000-0002-3039-0703>)
Maintainer:   Avraham Adler <Avraham.Adler@gmail.com>
  
```

Index of help topics:

```

adm                Average Distance to the Median
revss-package      Robust Estimation in Very Small Samples
robLoc             Robust Estimate of Location
robScale           Robust Estimate of Scale
  
```

**Author(s)**

NA

Maintainer: NA

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adm *Average Distance to the Median*

---

### Description

Compute the mean absolute deviation from the median, and (by default) adjust by a factor for asymptotically normal consistency.

### Usage

```
adm(x, center = median(x), constant = sqrt(pi / 2), na.rm = FALSE)
```

### Arguments

x	A numeric vector.
center	The central value from which to measure the average distance. Defaults to the median.
constant	A scale factor for asymptotic normality defaulting to $\sqrt{\frac{\pi}{2}}$ .
na.rm	If TRUE then NA values are stripped from x before computation takes place.

### Details

Computes the average distance, as an absolute value, between each observation and the central observation—usually the median. In statistical literature this is also called the **mean absolute deviation around the median**. Unfortunately, this shares the same acronym as the median absolute deviation (MAD), which is the median equivalent of this function.

General practice is to adjust the factor for asymptotically normal consistency. In large samples this approaches  $\sqrt{\frac{2}{\pi}}$ . The default is to multiple the results by the reciprocal, but the asymptotic behavior may not hold with the smaller sample sizes for which this package is intended.

If na.rm is TRUE then NA values are stripped from x before computation takes place. If this is not done then an NA value in x will cause mad to return NA.

### Value

$$ADM = C \frac{1}{n} \sum_{i=1}^n |x_i - \text{center}(x)|$$

where  $C$  is the consistency constant and center defaults to median.

### Author(s)

Avraham Adler <Avraham.Adler@gmail.com>

## References

Nair, K. R. (1947) A Note on the Mean Deviation from the Median. *Biometrika*, **34**, 3/4, 360–362.  
doi:10.2307/2332448

## See Also

[mad](#) for the median absolute deviation from the [median](#)

## Examples

```
adm(c(1:9))
x <- c(1,2,3,5,7,8)
c(adm(x), adm(x, constant = 1))
```

---

 robLoc

*Robust Estimate of Location*


---

## Description

Compute the robust estimate of location for very small samples.

## Usage

```
robLoc(x, scale = NULL, na.rm = FALSE, maxit = 80L, tol = sqrt(.Machine$double.eps))
```

## Arguments

<code>x</code>	A numeric vector.
<code>scale</code>	The scale, if known, can be used to enhance the estimate for the location; defaults to unknown.
<code>na.rm</code>	If TRUE then NA values are stripped from <code>x</code> before computation takes place.
<code>maxit</code>	The maximum number of iterations; defaults to 80.
<code>tol</code>	The desired accuracy.

## Details

Computes the M-estimator for location using the logistic  $\psi$  function of Rousseeuw & Verboven (2002, 4.1). If there are three or fewer entries, the function defaults to the median.

If the scale is known and passed through `scale`, the algorithm uses the suggestion in Rousseeuw & Verboven section 5 (2002), substituting the known scale for the `mad`.

If `na.rm` is TRUE then NA values are stripped from `x` before computation takes place. If this is not done then an NA value in `x` will cause `mad` to return NA.

The tolerance and number of iterations are similar to those in existing base R functions.

**Value**

Solves for the robust estimate of location,  $T_n$ , which is the solution to

$$\frac{1}{n} \sum_{i=1}^n \psi \left( \frac{x_i - T_n}{S_n} \right) = 0$$

where  $S_n$  is fixed at  $\text{mad}(x)$ . The  $\psi$ -function selected by Rousseeuw & Verboven is:

$$\psi_{\log}(x) = \frac{e^x - 1}{e^x + 1}$$

This is equivalent to  $2 * \text{plogis}(x) - 1$ .

**Author(s)**

Avraham Adler <Avraham.Adler@gmail.com>

**References**

Rousseeuw, Peter J. and Verboven, Sabine (2002) Robust estimation in very small samples. *Computational Statistics & Data Analysis*, **40**, (4), 741–758. doi:[10.1016/S01679473\(02\)000786](https://doi.org/10.1016/S01679473(02)000786)

**See Also**

[median](#)

**Examples**

```
robLoc(c(1:9))
x <- c(1,2,3,5,7,8)
robLoc(x)
```

---

 robScale

*Robust Estimate of Scale*


---

**Description**

Compute the robust estimate of scale for very small samples.

**Usage**

```
robScale(x, loc = NULL, implbound = 1e-4, na.rm = FALSE, maxit = 80L,
  tol = sqrt(.Machine$double.eps))
```

**Arguments**

<code>x</code>	A numeric vector.
<code>loc</code>	The location, if known, can be used to enhance the estimate for the scale; defaults to unknown.
<code>implbound</code>	The smallest value that <code>mad</code> is allowed before being considered too close to 0.
<code>na.rm</code>	If TRUE then NA values are stripped from <code>x</code> before computation takes place.
<code>maxit</code>	The maximum number of iterations; defaults to 80.
<code>tol</code>	The desired accuracy.

**Details**

Computes the M-estimator for scale using a smooth  $\rho$ -function defined as the square of the logistic  $\psi$  function used in location estimation (Rousseeuw & Verboven, 2002, 4.2). When the sequence of observations is too short for a robust estimate, the scale estimate will default to `mad` so long as `mad` has not “imploded”, i.e. it is greater than `implbound` which defaults to 0.0001. When `mad` has imploded, `adm` is used instead.

If the location is known and passed through `loc`, the algorithm uses the suggestion in Rousseeuw & Verboven section 5 (2002) converting the observations to distances from 0 and iterating on the adjusted sequence.

If `na.rm` is TRUE then NA values are stripped from `x` before computation takes place. If this is not done then an NA value in `x` will cause `mad` to return NA.

The tolerance and number of iterations are similar to those in existing base R functions.

**Value**

Solves for the robust estimate of scale,  $S_n$ , which is the solution to

$$\frac{1}{n} \sum_{i=1}^n \rho \left( \frac{x_i - T_n}{S_n} \right) = \beta$$

where  $T_n$  is fixed at `median(x)` and  $\beta$  is fixed at 0.5. The  $\rho$ -function selected by Rousseeuw & Verboven is based on the square of the  $\psi$ -function used in `robLoc`. Specifically

$$\rho_{log}(x) = \psi_{log}^2 \left( \frac{x}{0.3739} \right)$$

The 0.3739 is needed for  $\beta$  to be 0.5.

**Author(s)**

Avraham Adler <Avraham.Adler@gmail.com>

**References**

Rousseeuw, Peter J. and Verboven, Sabine (2002) Robust estimation in very small samples. *Computational Statistics & Data Analysis*, **40**, (4), 741–758. doi:10.1016/S01679473(02)000786

**See Also**

[adm](#) and [mad](#) as basic robust estimators of scale.

[Qn](#) and [Sn](#) in the **robustbase** package which are specialized robust scale estimators for larger samples. The latter two are based on code written by Peter Rousseeuw.

**Examples**

```
robScale(c(1:9))
x <- c(1,2,3,5,7,8)
c(robScale(x), robScale(x, loc = 5))
```

# Index

- \* **package**
  - revss-package, 2
- \* **robust**
  - adm, 3
  - revss-package, 2
  - robLoc, 4
  - robScale, 5
- \* **univar**
  - adm, 3
  - robLoc, 4
  - robScale, 5

adm, 3, 7

mad, 4, 7

median, 4, 5

Qn, 7

revss (revss-package), 2

revss-package, 2

robLoc, 4, 6

robScale, 5

Sn, 7